

LAB01: AN INTRODUCTION TO SciCOMP@UNC ENVIRONMENT

1 TeXmacs

TeXmacs is an editor especially well suited for scientific work:

- Even more so than Emacs, TeXmacs can be extensively customized. Much of the editor is written in Scheme (a LISP descendent). Several customizations of TeXmacs have been carried out in SciComp@UNC.
- Mathematical text is easily written, in legible form, e.g. from the IBVP $q: [0, \infty) \times [0, 1] \rightarrow \mathbb{R}$

$$\begin{cases} q_t = q_{xx} \text{ in } (0, 1) \\ q(t=0, x) = f(x) \text{ on } [0, 1] \\ q(t, 0) = g_0(t), q(t, 1) = g_1(t) \end{cases}, \quad (1)$$

semidiscretization at nodes $x_i = ih$, $h = 1$

- The text can be exported to LaTeX, HTML, PDF formats.
- Computations can be interspersed, such that one obtains a “living” document that contains the code used to produce results.

–

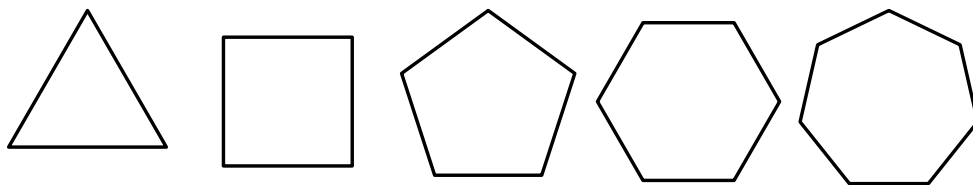
2 Embedded sessions

The public-domain Linux environment encourages compatibility among conforming applications, such that they can work together to solve complex tasks. This approach is in marked contrast to closed-form commercial operating systems (Windows, macOS) and applications. Even commercial programs (e.g., Mathematica) that conform to standard Linux practices can work in concert with other applications.

Within SciComp@UNC, TeXmacs has been configured to embed sessions of other applications:

Asymptote. A general purpose vector graphics language

```
Asymptote] size(5cm);
           for (int n = 3; n <= 7; ++n) {
             draw(shift(2.2*n, 0) *
                 polygon(n));}
```



```
Asymptote]
```

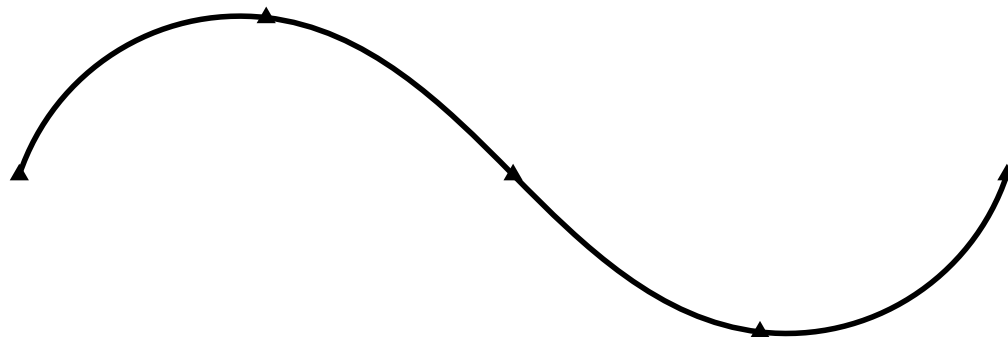


Figure 1. Figure generated using folded Asymptote code

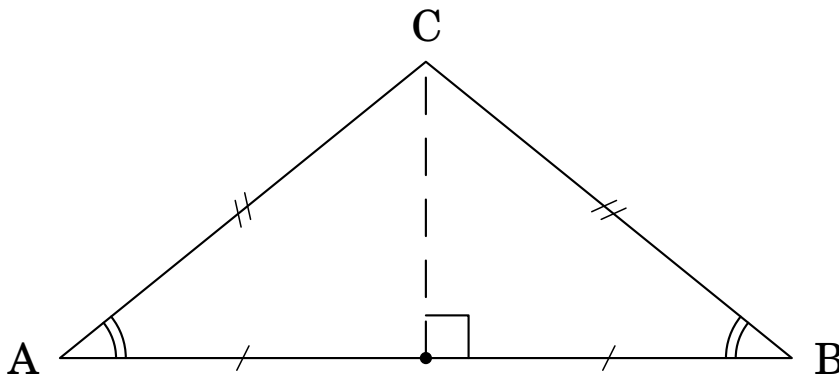
Eukleides. An environment for generation of geometrical figures

```
Eukleides] box -1, -1, 7, 3
```

```
A B C isosceles  
H = projection(C, line(A, B))
```

```
draw  
(A.B.C)  
C.H dashed  
H  
end
```

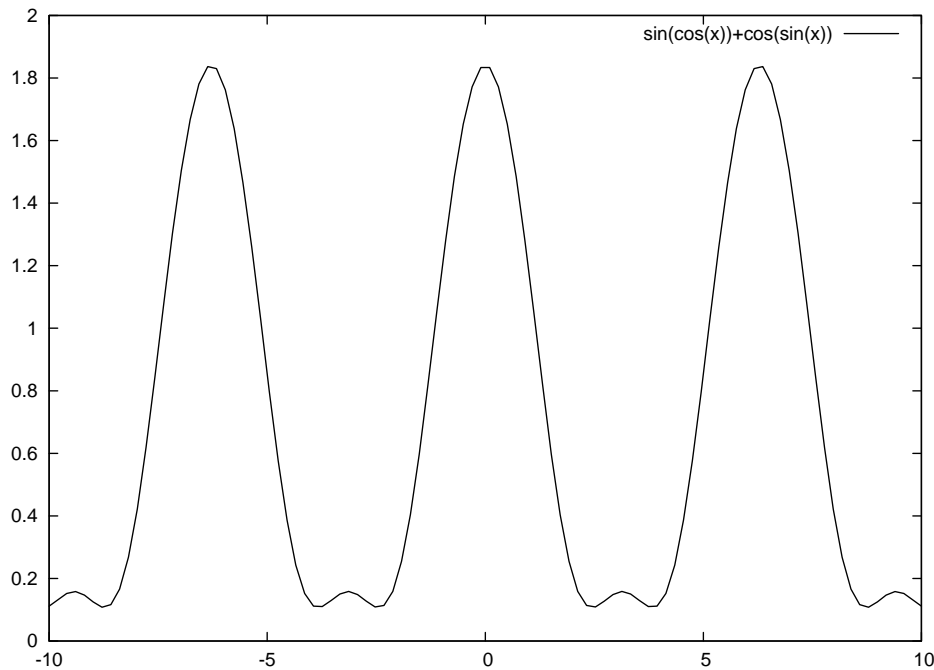
```
label  
A 180:  
B 0:  
C 90:  
B, H, C right  
B, A, C double  
C, B, A double  
A.H  
B.H  
A.C double  
C.B double  
end
```



```
Eukleides]
```

Gnuplot. Gnuplot is graphics application

```
GNUplot] plot sin(cos(x))+cos(sin(x))
```



GNUplot]

Lisp.

```
;; Loading file /opt/TeXmacs/plugins/lisp/clisp/clisp-init.lisp ...
;; Loading file lisp/tmlib.lisp ...
;; Loaded file lisp/tmlib.lisp
;; Loaded file /opt/TeXmacs/plugins/lisp/clisp/clisp-init.lisp
CLisp> (car '(a b c))
```

A

```
CLisp> (cdr '(a b c))
```

(B C)

```
CLisp>
```

Mathematica.

Mathematica

```
In[1]:= N[Pi,1000]
```

```
3.141592653589793238462643383279502884197169399375105820974944592307816406286208998628034825342117067982148\
08651328230664709384460955058223172535940812848111745028410270193852110555964462294895493038196442881097566\
59334461284756482337867831652712019091456485669234603486104543266482133936072602491412737245870066063155881\
74881520920962829254091715364367892590360011330530548820466521384146951941511609433057270365759591953092186\
11738193261179310511854807446237996274956735188575272489122793818301194912983367336244065664308602139494639\
52247371907021798609437027705392171762931767523846748184676694051320005681271452635608277857713427577896091\
73637178721468440901224953430146549585371050792279689258923542019956112129021960864034418159813629774771309\
96051870721134999999837297804995105973173281609631859502445945534690830264252230825334468503526193118817101\
00031378387528865875332083814206171776691473035982534904287554687311595628638823537875937519577818577805321\
71226806613001927876611195909216420199
```

```
In[2]:= 100!
```

```
93326215443944152681699238856266700490715968264381621468592963895217599993229915608941463976156518286253697\
920827223758251185210916864000000000000000000000000
```

```
In[4]:= D[Sin[Cos[x]]+Cos[Sin[x]],{x,10}]
```

```
945 sin5(x) sin(sin(x)) - 2205 sin3(x) sin(sin(x)) + sin(x) sin(sin(x)) - 945 cos(cos(x)) cos5(x) + 2205 cos(cos(x)) cos3(x) -
cos(cos(x)) cos(x) + cos10(x)(-cos(sin(x))) - 120 cos8(x) cos(sin(x)) + 45 sin(x) sin(sin(x)) cos8(x) +
630 sin2(x) cos6(x) cos(sin(x)) - 2352 cos6(x) cos(sin(x)) + 2730 sin(x) sin(sin(x)) cos6(x) -
3150 sin3(x) sin(sin(x)) cos4(x) + 15750 sin2(x) cos4(x) cos(sin(x)) - 4725 sin2(x) cos4(x) sin(cos(x)) -
5440 cos4(x) cos(sin(x)) - 3150 cos4(x) sin(cos(x)) + 19530 sin(x) sin(sin(x)) cos4(x) + 3150 sin4(x) cos(cos(x)) cos3(x) +
```

$22050 \sin^2(x) \cos(\cos(x)) \cos^3(x) + 630 \sin^6(x) \cos^2(x) \sin(\cos(x)) - 4725 \sin^4(x) \cos^2(x) \cos(\sin(x)) +$
 $15750 \sin^4(x) \cos^2(x) \sin(\cos(x)) - 22050 \sin^3(x) \sin(\sin(x)) \cos^2(x) + 25515 \sin^2(x) \cos^2(x) \cos(\sin(x)) +$
 $25515 \sin^2(x) \cos^2(x) \sin(\cos(x)) - 256 \cos^2(x) \cos(\sin(x)) + 255 \cos^2(x) \sin(\cos(x)) + 7125 \sin(x) \sin(\sin(x)) \cos^2(x) -$
 $\sin^{10}(x) \sin(\cos(x)) - 45 \sin^8(x) \cos(\cos(x)) \cos(x) - 120 \sin^8(x) \sin(\cos(x)) - 2730 \sin^6(x) \cos(\cos(x)) \cos(x) -$
 $2352 \sin^6(x) \sin(\cos(x)) - 19530 \sin^4(x) \cos(\cos(x)) \cos(x) - 3150 \sin^4(x) \cos(\sin(x)) - 5440 \sin^4(x) \sin(\cos(x)) -$
 $7125 \sin^2(x) \cos(\cos(x)) \cos(x) + 255 \sin^2(x) \cos(\sin(x)) - 256 \sin^2(x) \sin(\cos(x))$

In[5] := 1 == 2

False

In[6] := 1 == 1

True

In[7] := Eq = x==1

x = 1

In[8] := Eq /. x->1

True

In[9] := ODE = y'[x] + x y[x] == Sin[x]

$y'(x) + x y(x) = \sin(x)$

In[14] := sol = DSolve[ODE,y[x],x]

$\left\{ \left\{ y(x) \rightarrow c_1 e^{-\frac{x^2}{2}} - \frac{1}{2} i \sqrt{\frac{\pi}{2}} e^{\frac{1}{2} - \frac{x^2}{2}} \left(\operatorname{erfi}\left(\frac{x+i}{\sqrt{2}}\right) - \operatorname{erfi}\left(\frac{-}{x-i} \sqrt{2}\right) \right) \right\} \right\}$

In[17] := z[x_] = y[x] /. sol[[1,1]]

$c_1 e^{-\frac{x^2}{2}} - \frac{1}{2} i \sqrt{\frac{\pi}{2}} e^{\frac{1}{2} - \frac{x^2}{2}} \left(\operatorname{erfi}\left(\frac{x+i}{\sqrt{2}}\right) - \operatorname{erfi}\left(\frac{-}{x-i} \sqrt{2}\right) \right)$

In[15] := sol[[1,1]]

$y(x) \rightarrow c_1 e^{-\frac{x^2}{2}} - \frac{1}{2} i \sqrt{\frac{\pi}{2}} e^{\frac{1}{2} - \frac{x^2}{2}} \left(\operatorname{erfi}\left(\frac{x+i}{\sqrt{2}}\right) - \operatorname{erfi}\left(\frac{-}{x-i} \sqrt{2}\right) \right)$

In[18] := z[1.]

0.606531 c₁ + (1.21479 + 0. i)

In[19] :=

Maxima.

(%i1) diff(sin(x),x);

(%o1) cos(x)

(%i2)

Octave.

$$A = \begin{pmatrix} 0.45229 & 0.22986 & 0.70938 \\ 0.65207 & 0.84622 & 0.8479 \\ 0.28058 & 0.5938 & 0.36148 \end{pmatrix}, A^{-1} = \begin{pmatrix} -11.373 & 19.462 & -23.333 \\ 0.12663 & -2.0461 & 4.5509 \\ 8.6198 & -11.746 & 13.402 \end{pmatrix}$$

octave> A=rand(3)

$$\begin{pmatrix} 0.93125 & 0.050603 & 0.82831 \\ 0.22199 & 0.11851 & 0.75259 \\ 0.09635 & 0.24193 & 0.66373 \end{pmatrix}$$

octave> inv(A)

$$\begin{pmatrix} 1.5894 & -2.5636 & 0.9233 \\ 1.15 & -8.273 & 7.9454 \\ -0.6499 & 3.3876 & -1.5235 \end{pmatrix}$$

octave>

Python.

Python] from pylab import *

Python] x=arange(0.,3.15,0.01); y=sin(x); plot(x,y);

```
Python] show()
```

```
None
```

```
Python]
```

```
Shell.
```

```
Shell session inside TeXmacs pid = 26400
```

```
Shell] pwd
```

```
/home/student
```

```
Shell] ls
```

```
bearclaw  documents  ecss0.log  mitran-web  research  Wolfram Mathematica  
courses  Downloads  fontconfig perl5       TeXmacs  
Desktop  ecbx0.log  mitran     projects    tmp
```

```
Shell]
```